

Comparison and performance evaluation of different adaptive beam forming algorithms in wireless communications with smart antenna

¹Bhavishya Ramineni, ²G. Chaitanya Sagar, ³K. Abhishek Jain, ⁴M. Siva Ganga Prasad, ⁵T. V. Ramakrishna, ⁶K. Sarat Kumar

1,2,3 Students, Department of ECE, K L University, Guntur DT, AP, India
4,5,6 Professors, Department of ECE, K L University, Guntur DT, AP, India

Abstract-Many current modern wireless communication applications still rely on older electronic scanning technologies. Recent efforts are being exerted to modify wireless communication systems to include digital beam forming and adaptive beam forming techniques. The fixed beam forming approaches, which included the maximum SIR, the ML methods, and the MV method, were assumed to apply to fixed direction of arrival angle emitters. If the desired direction of arrival angles change with time, it is necessary to devise an optimization scheme that keeps recalculating the optimum array weights. The receiver signal processing algorithm then must allow for the continuous adaptation to an ever-changing electromagnetic environment. The adaptive algorithm allows for the calculation of continuously updated weights. The popular optimization techniques like LMS (least mean square), SMI (sample matrix inversion) and RLS (recursive least square) algorithms can take into consideration, it is desired to find their adaptive weights and finally comparison of performance evaluation needs to be considered with suitable plots.

Keywords- LMS, RLS, SMI, Adaptive beam forming, smart antenna, Digital Signal Processing.

1. INTRODUCTION

Adaptive Beam forming is a technique in which an array of antennas is exploited to achieve maximum reception in a specified direction by estimating the signal arrival from a desired direction (in the presence of noise) while signals of the same frequency from other directions are rejected. This is achieved by varying the weights of each of the sensors (antennas) used in the array. It basically uses the idea that, though the signals emanating from different transmitters occupy the same frequency channel, they still arrive from different directions. This spatial separation is exploited to separate the desired signal from the interfering signals. In adaptive beam forming the optimum weights are iteratively computed using complex algorithms based upon different criteria.

When the algorithms used are adaptive algorithms, this process is referred to as adaptive beam forming. Adaptive beam forming is a subcategory under the more general subject of digital beam forming. The chief advantage of digital beam forming is that phase shifting and array weighting can be performed on the digitized data rather than by being implemented in hardware. On receive; the beam is formed in the data processing rather than literally being forming in space. The digital beam forming method cannot be strictly called electronic steering since no effort is made to directly shift the phase of the antenna element currents. Rather, the phase shifting is computationally performed on the digitized signal. If the parameters of operation are changed or the detection criteria are modified, the beam forming can be changed by simply changing an algorithm rather than by replacing hardware. Adaptive beamforming is generally the more useful and effective beam forming solution because the digital beam former merely consists of an algorithm which dynamically optimizes the array pattern according to the changing electromagnetic environment. Conventional array static processing systems are subject to degradation by various causes. The array SNR can be severely degraded by the presence of unwanted interfering signals, electronic countermeasures, clutter returns, reverberation returns (in acoustics), or multipath interference and fading. An adaptive array system consists of the antenna array elements terminated in an adaptive processor which is designed to specifically maximize certain criteria. As the emitters move or change, the adaptive array updates and compensates iteratively in order to track the changing environment. Many current modern radar systems still rely on older electronic scanning technologies. Recent efforts are being exerted to modify radar systems to include digital beam forming and adaptive beam forming techniques. While current modern mobile base stations tend to use older fixed beam technologies to satisfy SDMA, they also would benefit from the use of modern adaptive methods and thereby increase system capacities. The adaptation process must satisfy a specified optimization criterion.

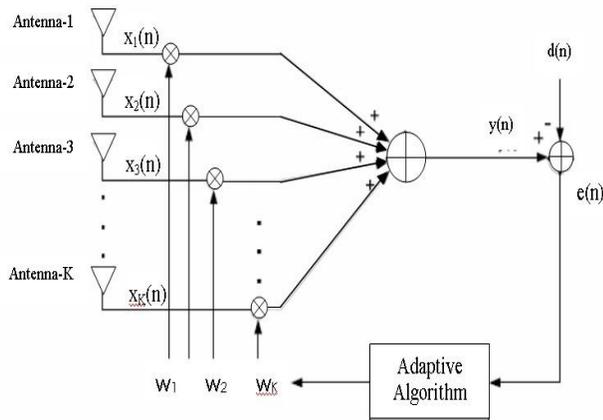


Figure.1 A generic adaptive beam forming system

II. ARRAY WEIGHTING

For a uniformly weighted linear array, the largest side lobes are down approximately 24 per cent from the peak value. The presence of side lobes means that the array is radiating energy in unintended directions. Additionally, due to reciprocity, the array is receiving energy from unintended directions. In a multipath environment, the side lobes can receive the same signal from multiple angles. This is the basis for fading experienced in communications. If the direct transmission angle is known, it is best to steer the beam toward the desired direction and to shape the side lobes to suppress unwanted signals. The side lobes can be suppressed by weighting, shading, or windowing the array elements. These terms are taken from the EM, underwater acoustics, and array signal processing communities, respectively. Array element weighting has numerous applications in areas such as digital signal processing (DSP), radio astronomy, radar, sonar, and communications

III. ADAPTIVE BEAMFORMING ALGORITHMS

A. Least Mean Squares Algorithm:

The LMS algorithm uses instantaneous gradient vector $\nabla(\xi)$ to continuously update the weight vector. If $w(n)$ denotes the estimate of the weight vector at the n th iteration and $\xi(n)$ is the mean square error, the next estimation of the weight vector for the $(n+1)$ th iteration, $w(n+1)$ is estimated according to the following equation

$$w(n+1) = w(n) - \mu \nabla(\xi)$$

Where μ is the step size. This parameter controls the convergence of the algorithm.

B. RLS Algorithm:

The convergence of the LMS algorithm depends upon the Eigen values of R . If R leads to a large spread, the algorithm converges slowly. This problem is solved here by replacing the step gradient size μ with a gain matrix $R^{-1}(n)$ at the n th iteration. Recursive converges fast compared to the least mean squares algorithm. The algorithm initiation is done by first setting

$$R^{-1}(0) = \frac{1}{\delta} * I$$

Where $\delta > 0$ and I - Identity matrix. The weights are updated using

$$w(n+1) = w(n) - R^{-1}(n+1)x(n+1)\epsilon$$

C. Sample Matrix Inversion Algorithm:

SMI has faster convergence as it employs direct inversion of the covariance matrix R . The sample matrix is a time average estimate of the array correlation, matrix using K -time samples. If the random process is ergodic in the correlation, the time average estimate will equal the actual correlation matrix. In the minimum MSE, the optimum array weights are given by the optimum Wiener solution as

$$\bar{W}_{opt} = \bar{R}_{xx}^{-1} \bar{r}$$

Where

$$\bar{r} = E[d^* \bar{x}]$$

$$\bar{R}_{xx} = E[\bar{x} \bar{x}^H]$$

As shown in the above equation, we can estimate the correlation matrix by calculating the time average such that

$$\hat{R}_{xx} = 1/k \sum_{k=1}^k \bar{x}(k) \bar{x}^H(k)$$

Where K is the observation interval

The correlation vector \bar{r} can be estimated by

$$\hat{r} = 1/k \sum_{k=1}^k d^*(k) \bar{x}(k)$$

IV. RESULTS AND DISCUSSIONS

Simulation for antenna array is done using MATLAB. In simulation process, we analyse amplitude response and trace of correlation matrix for adaptive beam forming algorithms RLS, LMS and SMI. The parameters used for our simulation are:

Number of antenna elements: 5

Element spacing: 0.5λ

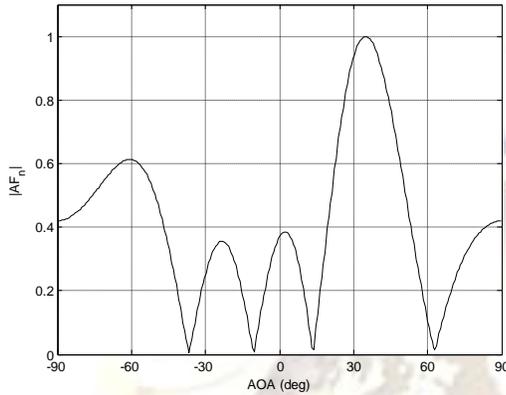
DOA of desired signal: 45°

DOA of interference signal: 60°

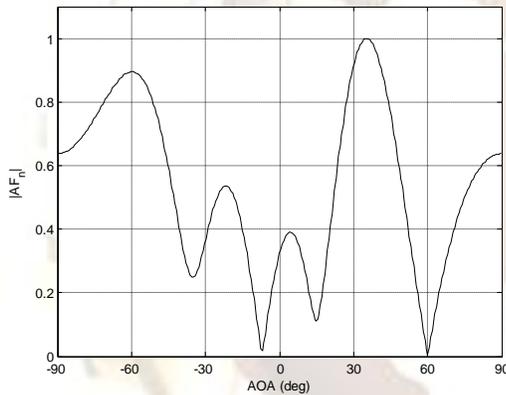
Forgetting factor (α) (for RLS): 0.9

Number of data samples: 100

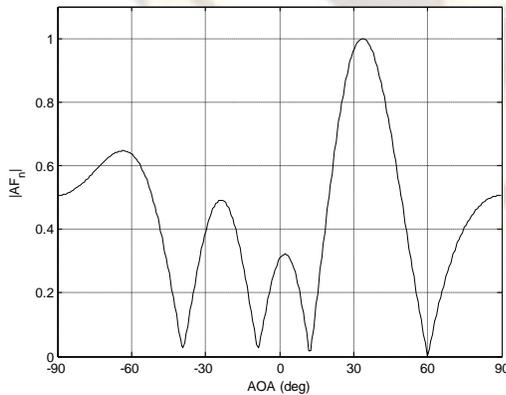
In figure 2, the amplitude responses of the three algorithms from -90 degrees to +90 degrees are plotted. It is evident from the figure that in LMS algorithm the interference signal is not completely rejected at 60°. Whereas, in RLS and SMI algorithms the interference signal is completely rejected at 60°.



(2.a). LMS algorithm



(2.b). RLS algorithm



(2.c). SMI algorithm

Figure.2. Comparison of amplitude responses of LMS, RLS and SMI.

In figure 3, circles line (oooooo) represents the trace of LMS. It is evident that LMS has a very slow convergence. Continuous wave (_____) represents trace of RLS. Although, it has high convergence for smaller number of iterations, there is a sudden drop as the number of iterations increase. Dashed line(-----) represents the trace of SMI. In case of SMI, trace output is stable. So, it is better when compared with RLS in terms of convergence.

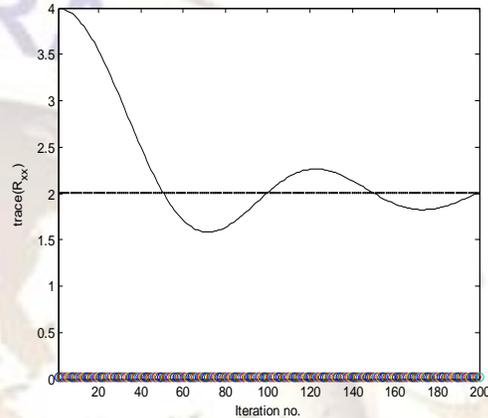


Figure.3. Comparison of convergence plots for LMS, RLS and SMI.

V. CONCLUSION

In adaptive beamforming, the radiation pattern of smart antenna is controlled through various adaptive algorithms. Adaptive algorithm dynamically optimizes the radiation pattern according to the changing electromagnetic environment. Here we compare and analyze three popular adaptive techniques including LMS, RLS and SMI through simulation of various parameters like amplitude response and trace of correlation matrices. We can conclude that LMS is the simplest and more suitable choice because of its simplicity and a reasonable performance. Since it is an iterative algorithm it can be used in a highly time-varying signal environment. It has a stable and robust performance against different signal conditions. However it may not have a really fast convergence speed compared other complicated algorithms like the Recursive Least Square (RLS). It converges with slow speeds when the environment yields a correlation matrix R possessing a large Eigenspread. RLS has fastest convergence at the cost of high computational burden when compared to LMS. RLS is the best choice and has also its application where quick tracking of this signal is required. The RLS algorithm does not require any matrix inversion computations as the inverse correlation matrix is computed directly. It requires reference signal and correlation matrix information. It is almost ten times faster compared to LMS. The SMI

algorithm has a faster convergence rate since it employs direct inversion of the covariance matrix R . It provides good performance in a discontinuous traffic. However, it requires that the number of interferers and their positions remain constant during the duration of the block acquisition. Since SMI employs direct matrix inversion the convergence of this algorithm is much faster compared to the LMS algorithm. However, huge matrix inversions lead to computational complexities that cannot be easily overcome.

VI. ACKNOWLEDGEMENT

We would like to thank our respected teachers and colleagues for their guidance and support. We are thankful to our HOD, ECE Department. We also thank Principal and Chairman, Koneru Lakshmaiah University for providing us most suitable environment for research and development.

REFERENCES

- [1] M. Chryssomallis, "Smart antennas" IEEE antennas and propagation magazine" Vol 42 No 3 pp 129-138, June 2000
- [2] S. Rani, P. V. Subbaiah, K. C. Reddy and S. S. Rani, "LMS and RLS Algorithm for Smart Antennas in a W-CDMA Mobile Communication Environment", ARPJN Journal of Engineering and Applied Sciences, VOL. 4, NO. 6, AUGUST 2009.
- [3] M. T. Islam, Z. A. Rashid, "MI-NLMS adaptive beamforming algorithm for smart antenna system applications", July 2006.
- [4] Abdul Aziz, M. Ali Qureshi, M. Junaid Iqbal, S. Zeeshan A. Zaidi Umer Farooq, Usman Ahmad, "Performance and Quality Analysis of Adaptive Beamforming Algorithms (LMS, CMA, RLS & CGM) for Smart Antennas" 2010 3rd International Conference on Computer and Electrical Engineering (ICCEE 2010), V6, [302]-[306].
- [5] F. Gross, "Smart Antennas for Wireless Communication", McGraw-Hill, September 14, 2005.
- [6] Constantine A. Balanis, Panayiotis, "Introduction to Smart Antennas (Synthesis Lectures on Antennas)", Series edition 2007 by Morgan & Claypool.
- [7] Chryssomallis, M., 2000. Smart antennas, IEEE Antennas and Propagation Magazine, 42(3): 129-136.
- [8] R. A. Monzingo and T. W. Miller, "Introduction to Adaptive Arrays", SciTech Publishing Inc., Oct. 2003, Mendham, NJ. ISBN 1-891121-24-3.
- [9] D. H. Johnson and D. E. Dudgeon, "Array Signal Processing: Concepts and Techniques", Englewood Cliffs, NJ: Prentice-Hall, 1992.
- [10] B. Widrow, P. E. Mantey, L. J. Griffiths, and B. B. Goode, "Adaptive antenna systems", Proc. IEEE, vol. 55, no. 12, pp. 2143-2159, Aug. 1967.
- [11] Widrow, B., and M. Hoff, "Adaptive Switch Circuits", IRE Wescom, Convention Record, Part 4, pp. 96-104, 1960.
- [12] W. Y. Shiu, "Noniterative digital beam forming in CDMA cellular communications systems", Master's thesis, Queen's University, Kingston, Ontario, Nov. 1998.
- [13] K. Meena alias Jeyanthi, Dr. A. P. Kabilan, Member IEEE, "A Simple Adaptive Beamforming Algorithm with interference suppression", International Journal of Engineering and Technology Vol. 1, No. 1, April, 2009, 1793-8236
- [14] Haykin, S., "Adaptive Filter Theory", 4th Edition., Prentice Hall, New York, 2002.
- [15] L. C. Godara, "Smart Antennas", CRC Press, Jan. 2004.